# Nanomagnetism Part 2 — Domains and domain walls



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Part 1 : basics of micromagnetism – Simple models of magnetization reversal

Part 2 : non-uniform magnetization in nanostructure: domains, domain walls



-91



Μ.

 $\mu H$ 

 $\Lambda M$ 

 $\mu_0 H$ 

Recoil 1

Part 3 : Low-dimensions,

interfaces and heterostructures

Part 4 : Learn from

hysteresis loops





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## Pt.II : DOMAINS and DOMAIN WALLS — Table of contents



## Brown paradox

Nucleation and propagation

➡ Walls and domains in films and nanostructures

➡Near single domains

Domain walls in tracks

Skyrmions





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## Pt.II : DOMAINS and DOMAIN WALLS — Brown paradox







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## Pt.II : DOMAINS and DOMAIN WALLS — From bulk to single-domain

#### Bulk material

# Numerous and complex magnetic domains



#### FeSi soft sheet

A. Hubert, Magnetic domains

Mesoscopic scale

Small number of domains, simple shape





Microfabricated dots Kerr magnetic imaging

A. Hubert, Magnetic domains

Nanometric scale

Magnetic single-domain



## Nanofabricated dots

Sample courtesy : N. Rougemaille, I. Chioar



🕏 Domain walls define length scales





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## Pt.II : DOMAINS and DOMAIN WALLS — Magnetic length scales

Anisotropy exchange length

 $E = A (\partial_x \theta)^2 + K \sin^2 \theta$ Exchange Anisotropy J/m J/m<sup>3</sup>

Anisotropy exchange length:  $\Delta_{\rm u} = \sqrt{A/K}$ 

 $\Delta_{\rm u} \approx 1 \text{ nm} \rightarrow \Delta_{\rm u} \geq 100 \text{ nm}$ 



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#### Dipolar exchange length

$$E = A \left( \partial_x \theta \right)^2 + K_{\rm d} \sin^2 \theta$$

Exchange Dipolar energy  $J/m \rightarrow J/m^3$ 

 $\rightarrow J/m^3$   $K_d = \frac{1}{2} \mu_o M_s^2$ 

Dipolar exchange length:

 $\Delta_{\rm d} = \sqrt{A/K_{\rm d}}$  $= \sqrt{2A/\mu_{\rm o}M_{\rm s}^2}$ 

 $\Delta_{\rm d} \approx 3 - 10 \ \rm nm$ 

Single-domain critical size relevant for nanoparticules made of soft magnetic material

Often called Exchange length

## Notice:

Other length scales: with field etc.

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## Pt.II : DOMAINS and DOMAIN WALLS — Simple model for a domain wall





#### Reduction in Coercive Force Caused by a Certain Type of Imperfection

A. Aharoni

Department of Electronics, The Weizmann Institute of Science, Rehovot, Israel

(Received February 1, 1960)

As a first approach to the study of the dependence of the coercive force on imperfections in materials which have high magnetocrystalline anisotropy, the following one-dimensional model is treated. A material which is infinite in all directions has an infinite slab of finite width in which the anisotropy is 0. The coercive force is calculated as a function of the slab width. It is found that for relatively small widths there is a considerable reduction in the coercive force with respect to perfect material, but reduction saturates rapidly so that it is never by more than a factor of 4.



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## Pt.II : DOMAINS and DOMAIN WALLS — Nucleation and propagation (2/3)







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## Pt.II : DOMAINS and DOMAIN WALLS — Nucleation and propagation (3/3)



PLI : DOMAINS and DOMAIN WALLS – Nucleation and propagation, films (1/3)

 Nucleation of new reversed domains

 Fatuzzo/Labrune/Raquet model

 
$$dN = (N_0 - N)Rdt$$
 N: number of nucleated centers at time t

  $N = N_0[1 - exp(-Rt)]$ 
 $N_0$ : total number of possible nucleation centers

  $R$ : rate of nucleation
 R: rate of nucleation

 Radial expansion of existing domains
  $\sigma_n = \sigma - \sigma_c = (v_0^2/T)[t_0 + t]^2 - \pi r_c^2/T$ 
 $r_c$ : radius of critical nucleus

  $A = \int_0^t \left(\frac{dN}{dt}\right)_s(\sigma_n)_{t-s}ds + \frac{\pi r_c^2}{T}N(t)$ 
 $V_0$ : speed of propagation of domain wall

 Growth of existing nuclei

 Network nuclei

 Method for existing nuclei

 Description of existing nuclei

 Method for existing nuclei

 N and possible nucleation

 A =  $\int_0^t \left(\frac{dN}{dt}\right)_s(\sigma_n)_{t-s}ds + \frac{\pi r_c^2}{T}N(t)$ 

 Growth of existing nuclei

 Method for exi

+

+

## Pt.II: DOMAINS and DOMAIN WALLS - Nucleation and propagation, films (2/3)

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## Depending on structural defects Depending on measurement dynamics



## Pt.II : DOMAINS and DOMAIN WALLS — Nucleation and propagation, films (3/3)

Theory

Experiment



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## Pt.II : DOMAINS and DOMAIN WALLS — Flux-closure states (1/6)



## Pt.II : DOMAINS and DOMAIN WALLS — Flux-closure states (2/6)

1964 2014

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## Pt.II : DOMAINS and DOMAIN WALLS — Flux-closure states (4/6)

#### Sandpiles for simulating flux-closure patterns



## Pt.II : DOMAINS and DOMAIN WALLS — Flux-closure states (5/6)







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Easy axis of **weak** magnetocrystalline anisotropy

Easy axis of **weak** magnetocrystalline anisotropy

#### Large dots

→many degres of freedom

- ⇒many possible states
- ⇒history is important
- →even slight perturbations can influence the dot (anisotropy, defects, etc.).

## Pt.II : DOMAINS and DOMAIN WALLS — Flux-closure states (6/6)

Microscopic contribution to perpendicular anisotropy



## Pt.II : DOMAINS and DOMAIN WALLS — Table of contents



Brown paradox

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Domain walls in tracks

Skyrmions





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## Pt.II : DOMAINS and DOMAIN WALLS — Range of dipolar field



 Dipolar fields are weak and short-ranged in 2D or even lower-dimensionality systems
 Dipolar fields can be highly non-homogeneous in anisotropic systems like 2D
 Consequences on dot's non-homogenous state, magnetization reversal, collective effects etc.





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Pt.II : DOMAINS and DOMAIN WALLS — The single-domain limit (1/2)



## Pt.II : DOMAINS and DOMAIN WALLS — The single-domain limit (2/2)



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## Pt.II : DOMAINS and DOMAIN WALLS — Deviations from the macrospin (1/5)



#### Configurational anisotropy: deviations from single-domain

Strictly speaking, 'shape anisotropy' is of second order:

$$E_{\rm d} = \frac{1}{2} \mu_{\rm o} \left( N_x M_x^2 + N_y M_y^2 + N_z M_z^2 \right)$$

**2D:**  $\mathcal{E}_{d} = V K_{d} \sin^{2} \theta$ 

In real samples magnetization is never perfectly uniform: competition Num.Calc. (100nm)

between exchange and dipolar



Configurational anisotropy may be used to stabilize configurations against switching

Higher-order contributions to magnetic anisotropy

M. A. Schabes et al., JAP 64, 1347 (1988)

WIEEE 5



Z Institut Néel uu Grenoble, France R.P. Cowburn et al., APL 72, 2041 (1998)

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## Pt.II : DOMAINS and DOMAIN WALLS — Deviations from the macrospin (2/5)

Polar plot of experimental configurational anisotropy with various symmetry



**Color code**: strength of anisotropy in a given direction Radius: size of measured pattern **Direction:** direction of measurement

R.P. Cowburn, J.Phys.D:Appl.Phys.33, R1-R16 (2000)





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00

250nr

100nn

250nm

250nm

0

0

1µm

 $1 \mu m$ 

 $1 \mu m$ 

1µm

 $1 \mu m$ 

#### Pt.II : DOMAINS and DOMAIN WALLS — Deviations from the macrospin (3/5)



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## Pt.II : DOMAINS and DOMAIN WALLS — Deviations from the macrospin (4/5)

Hypotheses Soft magnetic material

Not too small neither too large nanostructures

W



## Pt.II : DOMAINS and DOMAIN WALLS — Deviations from the macrospin (5/5)



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Pt.II : DOMAINS and DOMAIN WALLS — Coercivity from bulk to single-domain



FIG. 1. Particle size dependence of essentially spherical, randomly oriented, iron particles. Calculated curve given by solid line. Diameters  $D = \hat{d}_v$ . Data at 76°K obtained from electron microscopic examination  $\blacksquare$ , calculated from  $I_r/I_s$  vs temperature O, and from smoothed data of  $H_{ci}$  vs D

#### E. F. Kneller & F. E. Luborsky,

Particle size dependence of coercivity and remanence of single-domain particles, J. Appl. Phys. 34, 656 (1963)





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Towards

## Pt.II : DOMAINS and DOMAIN WALLS — Cellular automata



Alternative to strips and domain walls to convey and process information





#### Here : majority gate

A. Imre et al., Science 311, 205 (2006)



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Domain walls in tracks

Skyrmions





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## Pt.II : DOMAINS and DOMAIN WALLS — Domain walls in 1D structures (tracks)



D. A. Allwood et al., Science 309, 1688 (2005)

#### Towards data 3D storage?



S. S. P. Parkin, Science 320, 190 (2008) Scientific American 76 (2009) + patents (IBM)





Z Institut Néel uu Grenoble, France Memory (current-driven)



L. Thomas et al., IEEE International Electron Devices meeting (2001)

Take-away meessages

Section 2.1. Section Contract Section 2.1. S

Sield-driven and later spin-torque-driven

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## Pt.II : DOMAINS and DOMAIN WALLS — Domain walls in tracks (2/7)



#### Transverse versus vortex wall (simulations)

#### Thin and narrow strips



к. мсміспаеі & M. Donahue, IEEE Trans. Mag. 33, 4167 (1997)

Y. Nakatani et al., J. Magn. Magn. Mater. 290-291, 750 (2005)





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### Pt.II : DOMAINS and DOMAIN WALLS – Domain walls in tracks (4/7)



## Pt.II : DOMAINS and DOMAIN WALLS — Domain walls in tracks (5/7)

Perpendicular magentization

Nucleation

Use large pads as domain reservoirs



Pt\Co[0.6]\AlOx - Kerr

Courtesy S. Pizzini (NEEL)

Magnetic imaging

Narrow domain walls (2-20nm) ⇒ Shape influenced by disorder



Pt\Co[0.6]\AIOx – MFM O. Fruchart, unpublished



500 nm

Ta\CoFeB[1]\MgO - NV center S.P. Tetienne t al., Science 344, 1366 (2014)





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## Pt.II : DOMAINS and DOMAIN WALLS — Domain walls in tracks (6/7)

Becker-Kondorski model : domain wall to be moved along a 1d landscape







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## Pt.II : DOMAINS and DOMAIN WALLS — Precessional motion of domain walls (2/4)



Pt.II : DOMAINS and DOMAIN WALLS — Precessional motion of domain walls (3/4)



## Pt.II : DOMAINS and DOMAIN WALLS — Precessional motion of domain walls (4/4)



Motion below the Walker field

Steady-state azimut :  $\sin 2\varphi = \frac{2H}{\alpha M_s}$ 

High speed  $v = |\gamma_0| \Delta_W H / \alpha \sim 1/\alpha$ 



 $\Delta_{W}$  Is a dynamic parameter and is not the DW width at rest

#### Motion above the Walker field

Precession with non-steady angular speed

 $\Rightarrow$  Soon recovers speed  $v \approx \alpha |\gamma_0| H \Delta_W$ 

 $v_{\rm W} = |\gamma_{\rm o}| \Delta_{\rm W} M_{\rm S}/2$  Walker speed limit

#### Experimental confirmation







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## Pt.II : DOMAINS and DOMAIN WALLS – Bloch points



Fig. 2. MFM image of an array of permalloy dots 1  $\mu m$  in diameter and 50 nm thick.

The central magnetic vortex may be magnetized up or down using a perpendicular field

T. Shinjo et al., Science 289, 930 (2000) T. Okuno et al., JMMM240, 1 (2002)





#### Theory and simulation

#### Simulation



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## Pt.II : DOMAINS and DOMAIN WALLS — Overview of magnetization textures



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## Pt.II : DOMAINS and DOMAIN WALLS — Dzyaloshinskii-Mmoriya and skyrmions (1/2)



## Pt.II : DOMAINS and DOMAIN WALLS — Dzyaloshinskii-Mmoriya and skyrmions (2/2)



